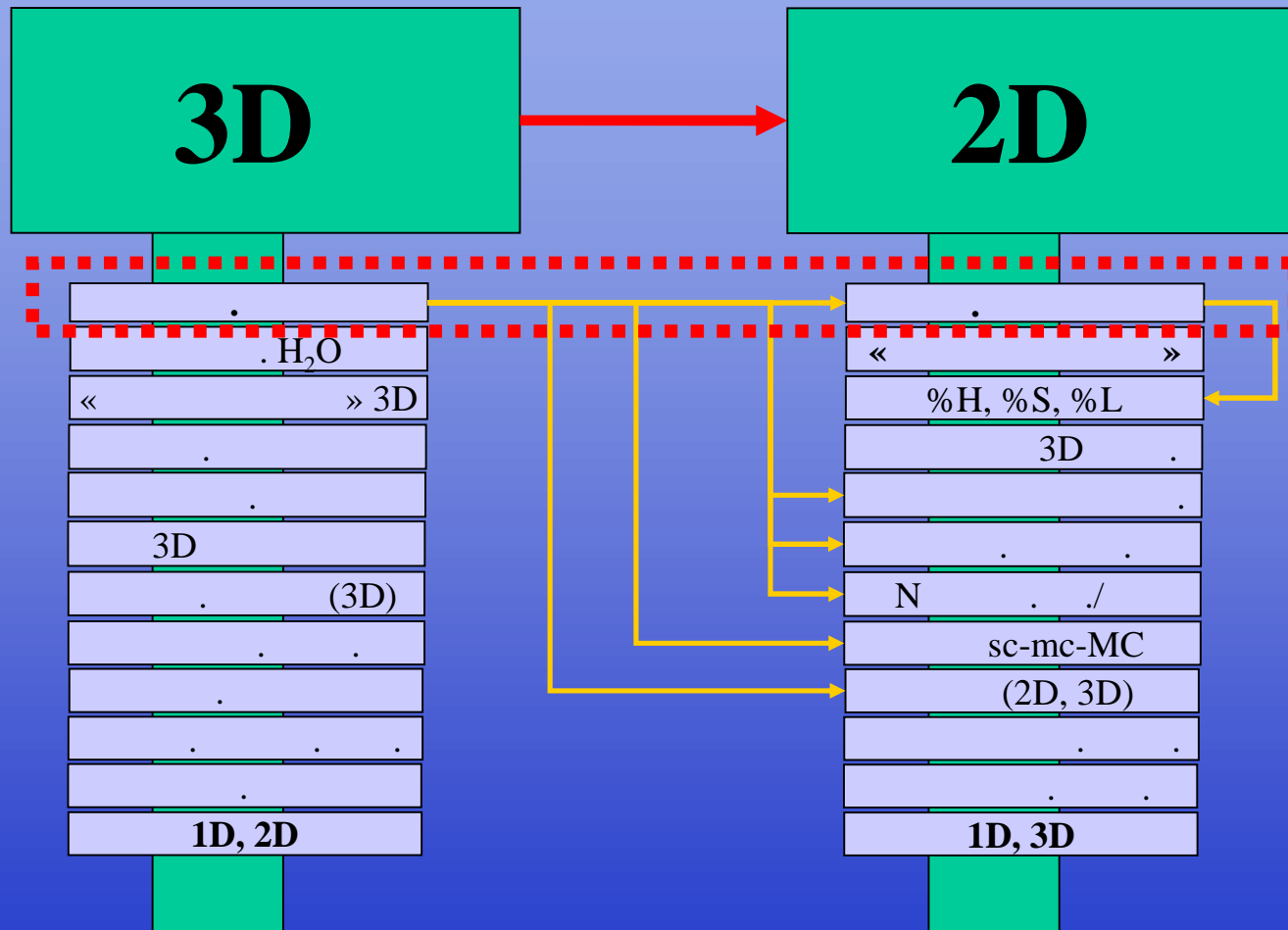
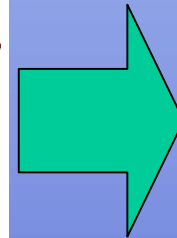
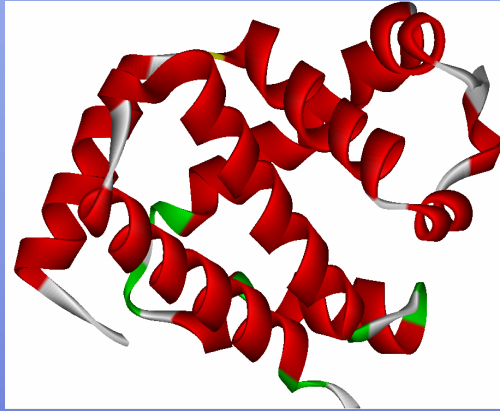
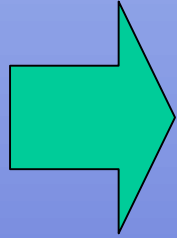
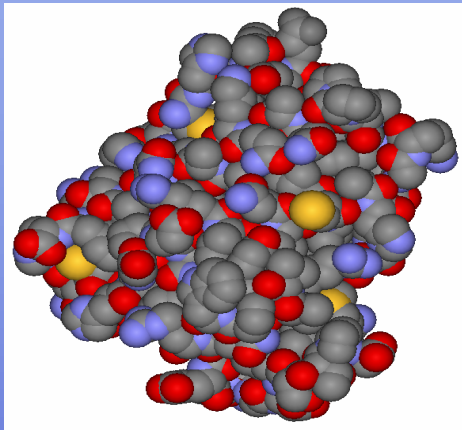


3D → 2D

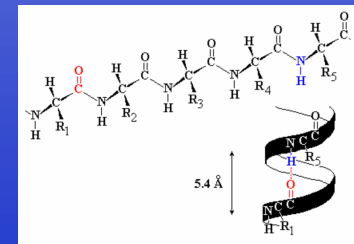
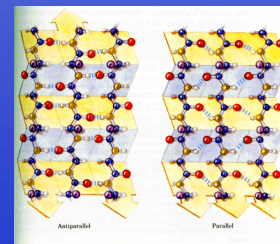
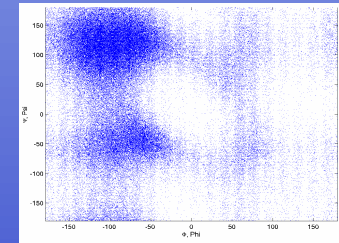
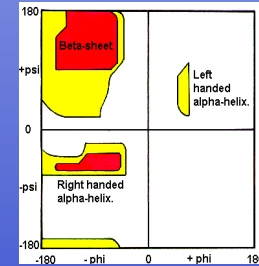
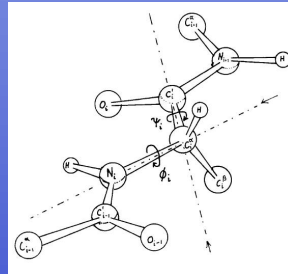
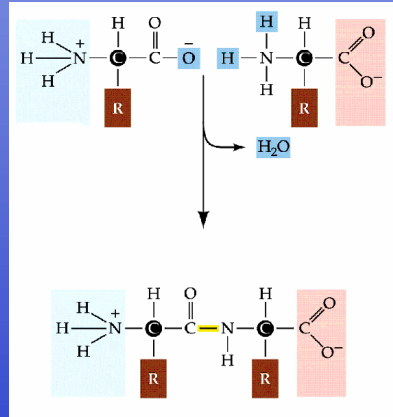


• 3D → 2D « »
3D

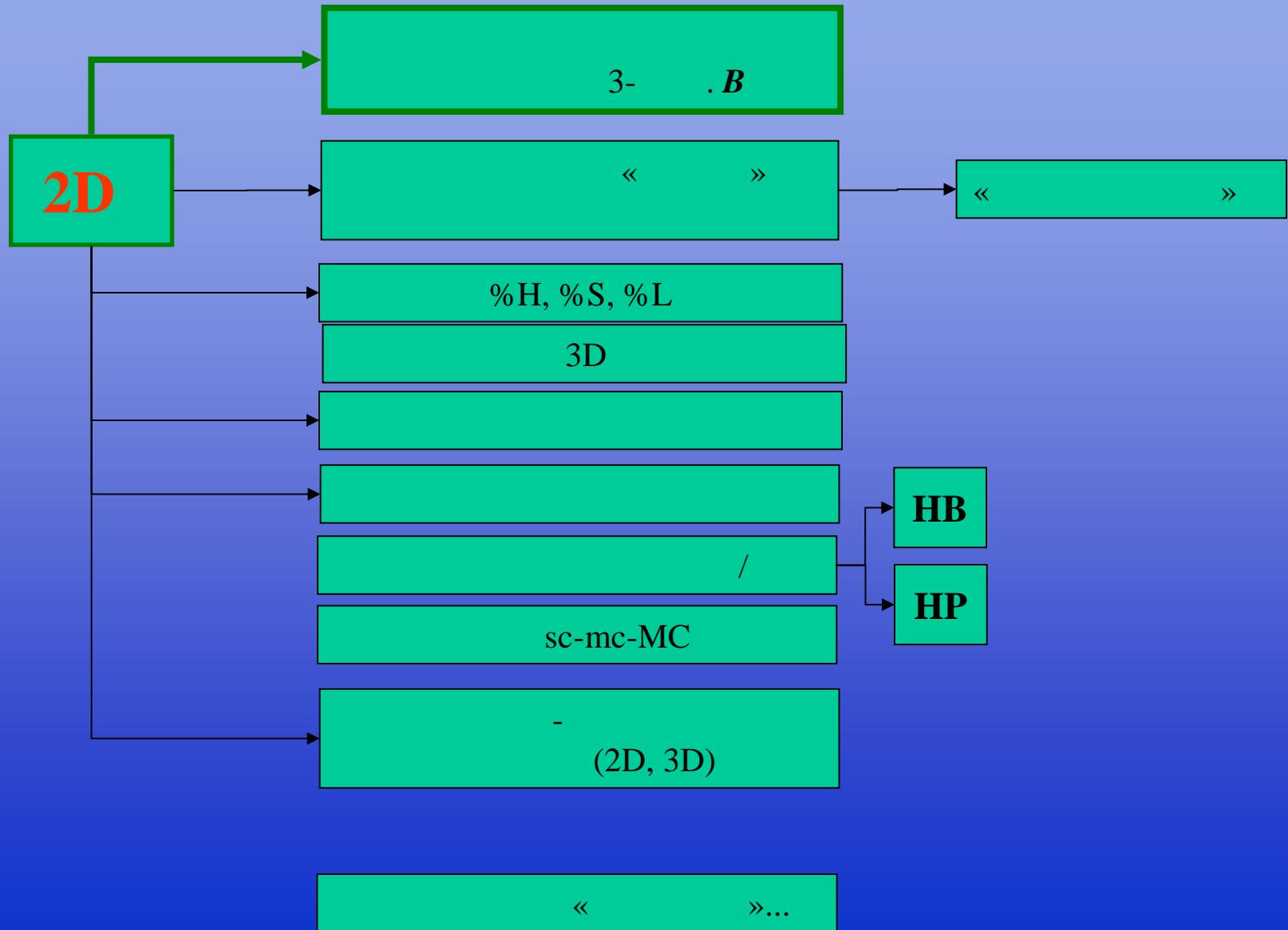
2D 3D



LLL **HHHHHHHHHH** LLLLLL
 L **HHHHHHHHHH** LLLLLL
 LLLLLLLLLLLLLLLLLL
 LLLLLLLLLL **HHHHHHHH**
HHHHHHL LLLLLLLL **HHH**
HHHHHHL LLLLLLLL **HH**
HHHHHHHHH LLLLLLLL
 LLLL **HHHHHHHHHHHH**
H LLLLLLLLLLLLLL



- 2D



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• $Z(Pr)$ $Pr,$

$\vdots, \quad \vdots, * \quad \vdots, * \quad \vdots, Pr$

$A = \{A, C, D, E, F, G, H, I, K, L, M, N, P, Q, R, S, T, V, W, Y, \}$

$$A^* = \bigcup_{l=1}^{\infty} A^l \quad B^* = \bigcup_{l=1}^{\infty} B^l$$

$$Pr \subseteq A^* \times B^*, \quad Pr \neq \emptyset$$

$B = \{H, S, L, \}$

Th.1

$F \quad Z \quad Z$

$$\forall_{Pr} (\vec{a}, \vec{b}) : F(\vec{a}) = \vec{b}$$

$$\forall_{Pr} (\vec{a}_1, \vec{b}_1), (\vec{a}_2, \vec{b}_2) : (\vec{a}_1 = \vec{a}_2) \Rightarrow (\vec{b}_1 = \vec{b}_2)$$

$$\forall_{Pr} (\vec{a}_i, \vec{b}_i), (\vec{a}_j, \vec{b}_j), (i \neq j) \Rightarrow (\vec{a}_i \neq \vec{a}_j)$$

- N $A-$
 $N-1$ $B-$

VHLTPEEKSA...



LLLHHHHHHH...

- : $B = \{H, S, L\}$
 – $B' = \{HH, HS, HL, SS, SH, SL, LL, LH, LS\}$.

<i>HH</i>	<i>HS</i>	<i>HL</i>	<i>SS</i>	<i>SH</i>	<i>SL</i>	<i>LL</i>	<i>LH</i>	<i>LS</i>
0.33	0.001	0.03	0.19	0.003	0.05	0.32	0.03	0.05

- $$B - m$$

$$(m + 2 \cdot m \cdot (m - 1)) -$$

$$- 2 \cdot m \cdot (m - 1)$$

- $$: 3 - 15 - .$$

$$\dots LLL_H^e H_L^b HH \dots$$

H	S	L	H_S^b	H_L^b	H_S^e	H_L^e	S_H^b	S_L^b	S_H^e	S_L^e	L_H^b	L_S^b	L_H^e	L_S^e
0.33	0.19	0.32	0.0015	0.015	0.0005	0.015	0.0005	0.025	0.0015	0.025	0.015	0.025	0.015	0.025

•
•

- $i-$, $-$
() -

VH **LTPEEKSA**...

LLL **HHHHHHH**...

$i-$

$$\vec{U} = \{u_1, u_2, \dots, u_n\}$$

$$i, 1 \quad i \quad n$$

$$\ll \hat{m} = \{\mu_1, \mu_2, \dots, \mu_m\}$$

$$\mu_i \in \mathbb{Z}$$

$$\mu_1 < \mu_2 < \dots < \mu_m$$

$$|\hat{m}| = m$$

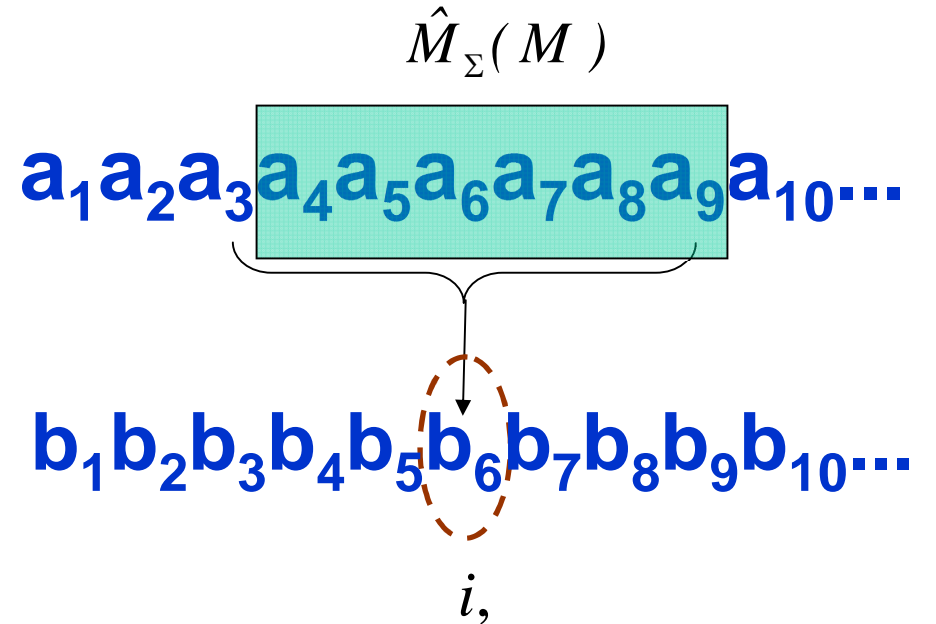
$$[\hat{m}] = \mu_m - \mu_1 + 1$$

$$\eta(i, \hat{m}, \vec{U})$$

$$\eta(i, \hat{m}, \vec{U}) = \begin{cases} u_{i+\mu_1} u_{i+\mu_2} \dots u_{i+\mu_m}, & i + \mu_1 \geq 1, i + \mu_m \leq n, \\ \emptyset & . \end{cases}$$

$$M = \{ \hat{m}_1, \hat{m}_2, \dots, \hat{m}_N \}$$

$$M_\Sigma(M) = \bigcup_{k=1}^{|M|} \hat{m}_k$$



$$(1) \quad \underset{Pr}{\forall}(\vec{V}_1, \vec{W}_1), (\vec{V}_2, \vec{W}_2) \underset{i, j \in N}{\forall}(i, j) : \eta(i, \hat{M}_\Sigma(M), \vec{V}_1) = \eta(j, \hat{M}_\Sigma(M), \vec{V}_2) \Rightarrow W_1^i = W_2^j$$

$$(1'') \quad \underset{Pr}{\forall}(\vec{V}_1, \vec{W}_1), (\vec{V}_2, \vec{W}_2) \underset{i, j}{\forall} \left(\underset{k=1}{\overset{|M|}{\forall}} \hat{m}_k : \eta(i, \hat{m}_k, \vec{V}_1) = \eta(j, \hat{m}_k, \vec{V}_2) \right) \Rightarrow W_1^i = W_2^j$$

$$l(M) < i \leq |\vec{V}_1| - r(M) \quad l(M) < j \leq |\vec{V}_2| - r(M), \quad i \neq j$$

Th 4. (1) (1'')

0-

- $M, (,)$

- $M (M) \quad L, R = const.$

0-

$$(1'') \quad M, \quad \forall M' \subset M \quad M_{\Sigma}(M') \subset M_{\Sigma}(M)$$

$$(1''') \quad M, \quad \forall M' \subset M$$

/

0-

$$\{ \hat{m}_1, \hat{m}_2, \dots, \hat{m}_N \}$$

:

$$(2) \quad M_{\Sigma}(M) \subset M_{\Sigma}(M)$$

$$\hat{m}_{i_0} \quad i_0 \in \{1..N\}$$

.1.

0-

$$\hat{m}_{i_0} \not\subset \bigcup_{j=1, N}^{j \neq i_0} \hat{m}_j$$

.2.

0-

M

M

$$(2) \quad \forall i \in \{1..N\} \exists \mu : \forall j \in \{1..N, i \neq j\} (\mu \notin \hat{m}_j)$$

.3.

0-

M

5. M -

M

$\hat{m}_{i_1}, \hat{m}_{i_2}, \dots, \hat{m}_{i_L}$

$$\hat{m} \subseteq \bigcup_{j=1, L} \hat{m}_{i_j}$$

$$: (2') \quad \forall i \in \{1..N\} \hat{m}_i \not\subset \bigcup_{j=1, N}^{j \neq i} \hat{m}_j$$

$$(2') \quad \hat{m}_i \subseteq \bigcup_{j=1, N}^{j \neq i} \hat{m}_j$$

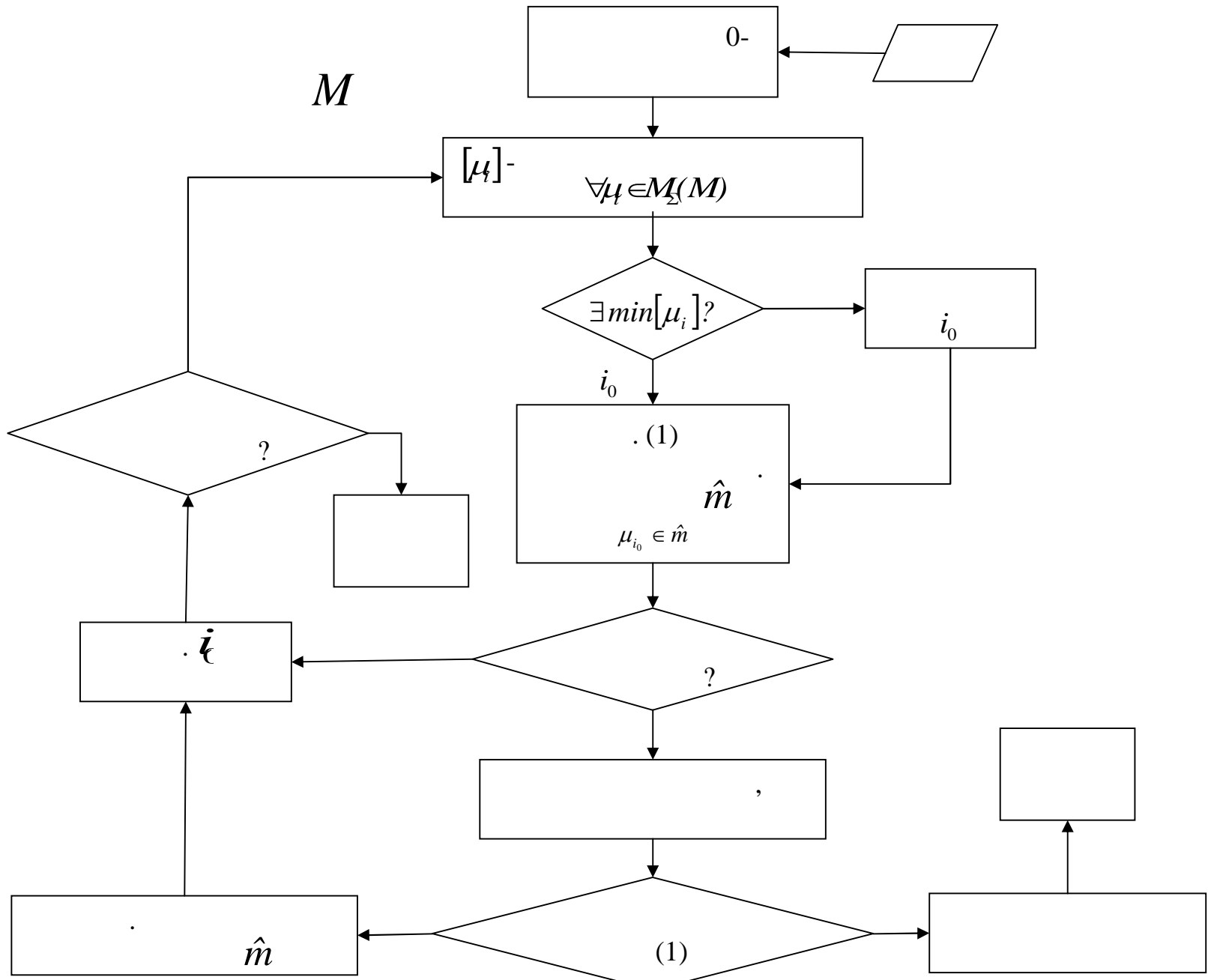
$$\bigcup_{i=1, N} \hat{m}_i = \bigcup_{j=1, N} \hat{m}_j \quad M_{\Sigma}(M) = M_{\Sigma}(M)$$

. . (1'')

$$M' = \{ \hat{m}_1, \hat{m}_2, \dots, \hat{m}_{i-1}, \hat{m}_{i+1}, \dots, \hat{m}_N \}$$



M -



$$(I) \quad \forall_{Pr} (\vec{V}_1, \vec{W}_1), (\vec{V}_2, \vec{W}_2) \forall_{i,j \in N} (i, j): \eta(i, \hat{M}_\Sigma(M), \vec{V}_1) = \eta(j, \hat{M}_\Sigma(M), \vec{V}_2) \Rightarrow W_1^i = W_2^j$$